



Security of UMTS network and MILENAGE

Seminar Mobile Security

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b-it

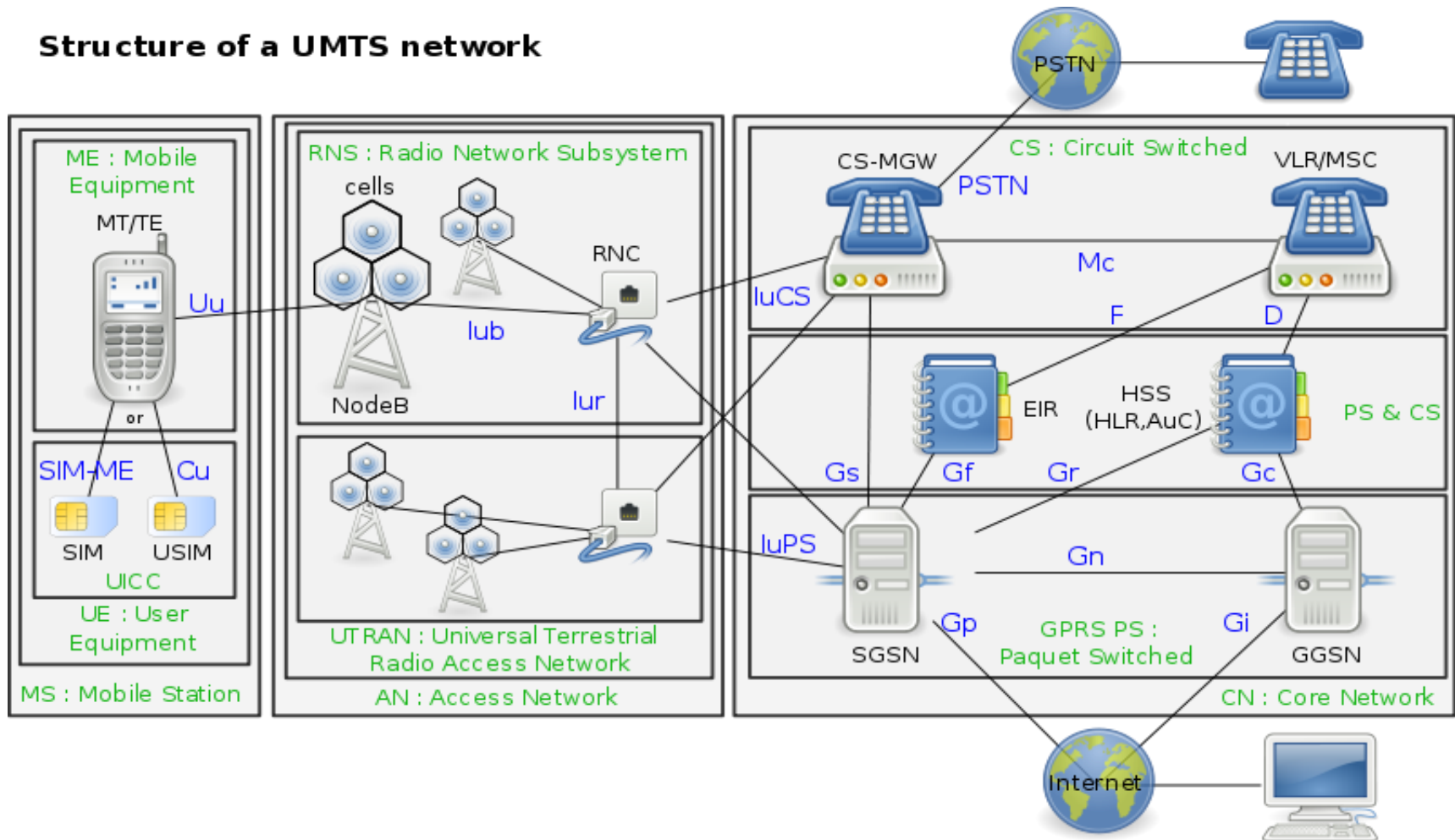
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Agenda

- **The UMTS network structure**
- **UMTS security overview**
- **KASUMI**
- **MILENAGE**

Structure of UMTS network

Structure of a UMTS network



What are security features in UMTS

- Features :

Entity authentication

User and UE authentication

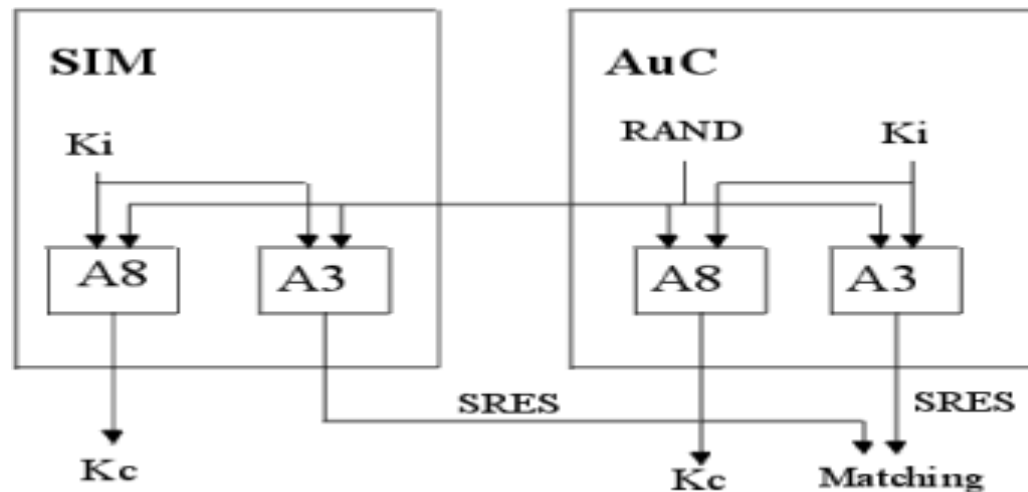
Traffic confidentiality

Data integrity

Mobile security

- GSM security

The GSM adopted the Comp128-1/2/3 algorithm, which is also known as A3 A8 algorithm. The algorithm A5 is used to encrypt the phone call.

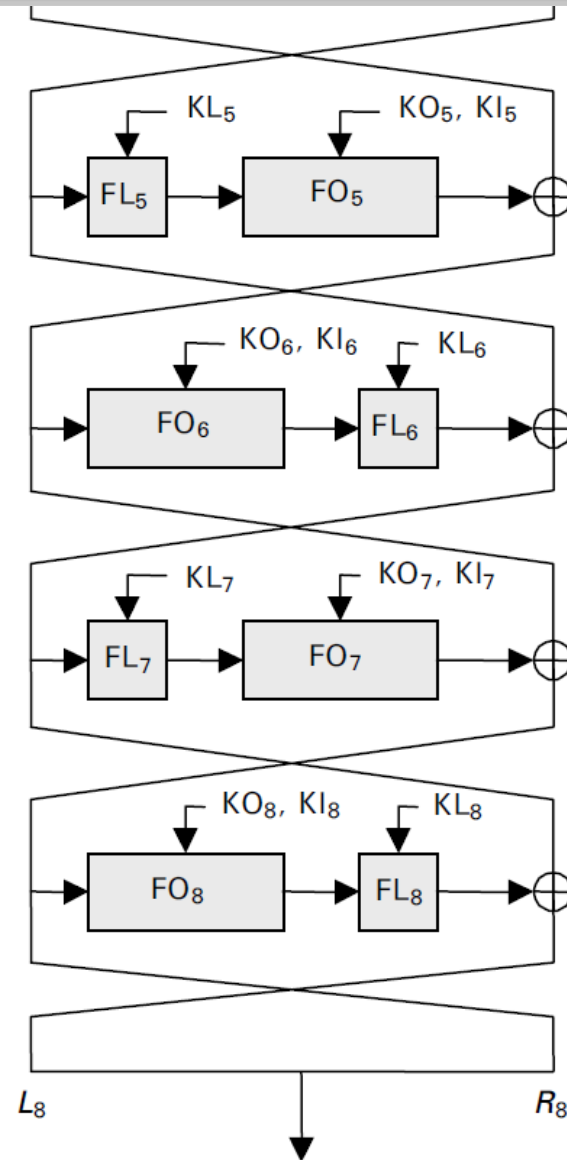
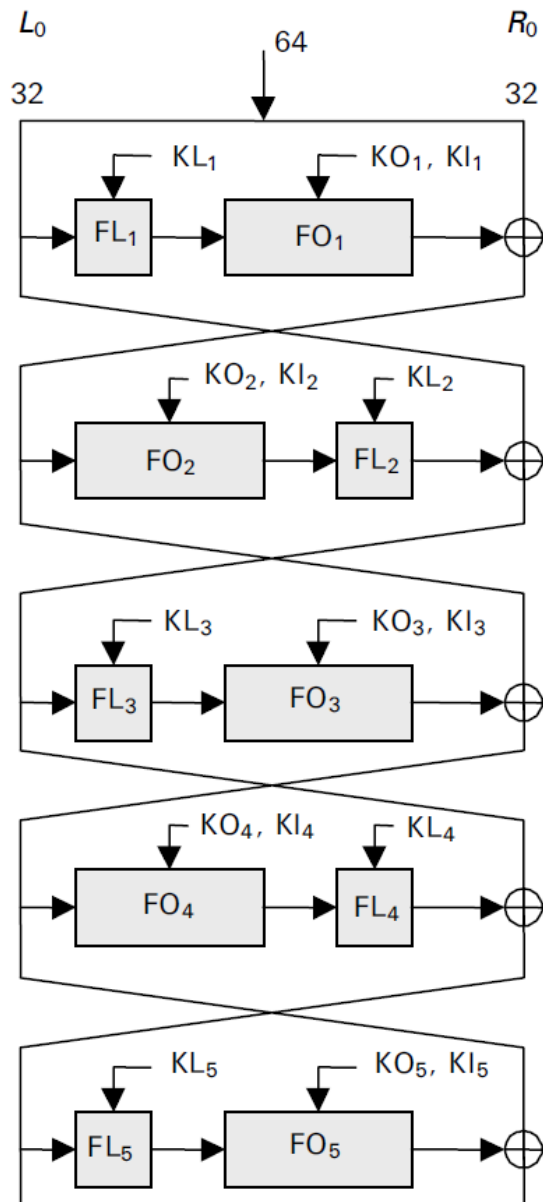


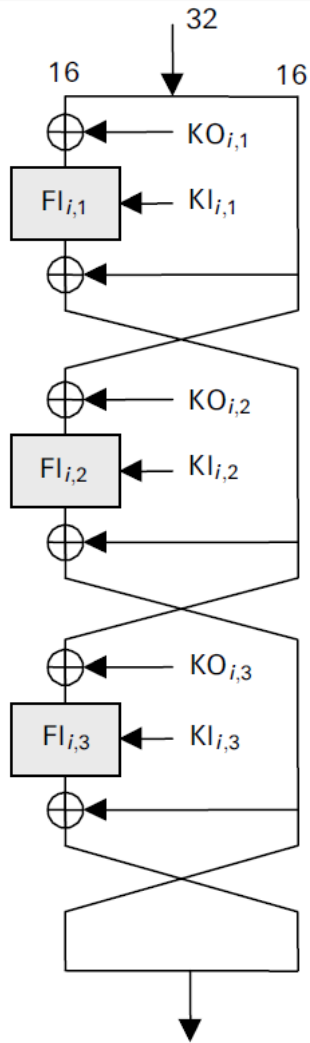
UMTS security

- KASUMI for confidentiality and integrity protection.
- MILENAGE for authentication and key agreement.

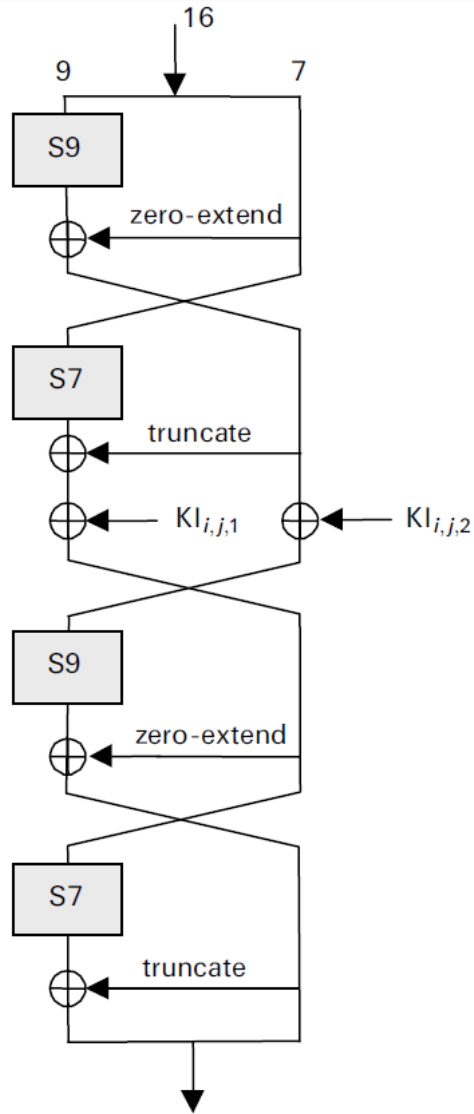
KASUMI

- KASUMI applies a 64-bit block with a & 128-bit key.
- The process of KASUMI has eight rounds of Feistel diphers. Each round require 32-bit input corresponding with 32-bit output.

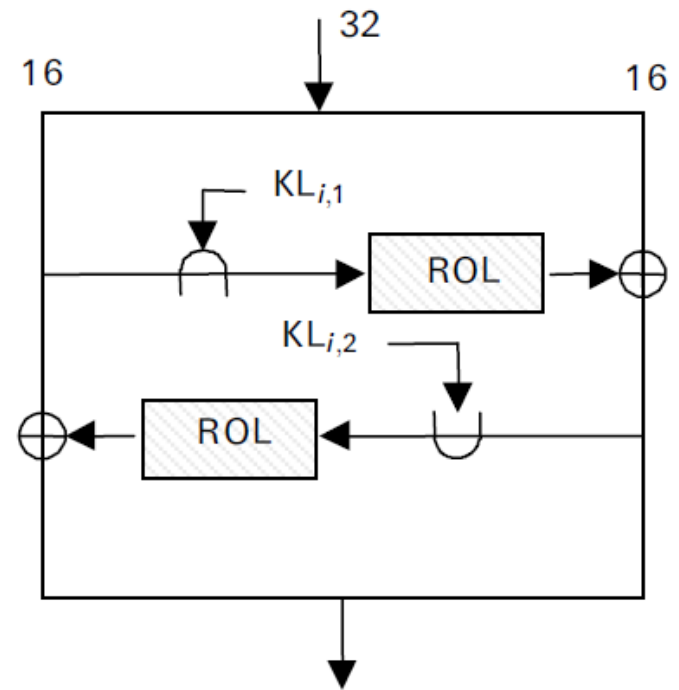




(b)



(c)



bitwise AND operation



bitwise OR operation



one bit left rotation

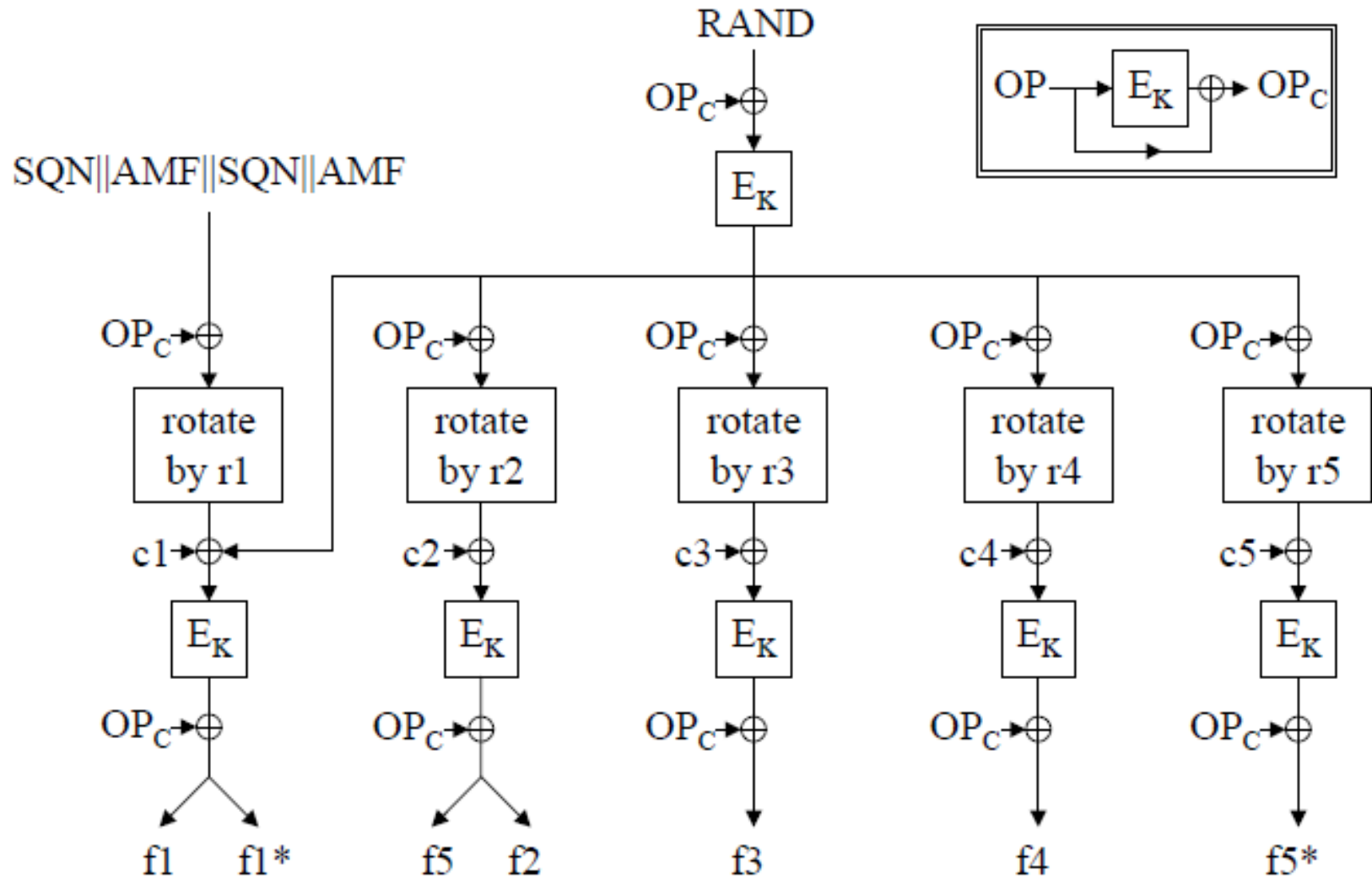
(d)

- Key schedule: 16-bit Subkey K_i is derived by subdivision of 128-bit key K
- Encryption function f_8 is based on KASUMI
- Security consideration:
 - 1, Key only attack
 - 2, Malleability
 - 3, Distinguishability

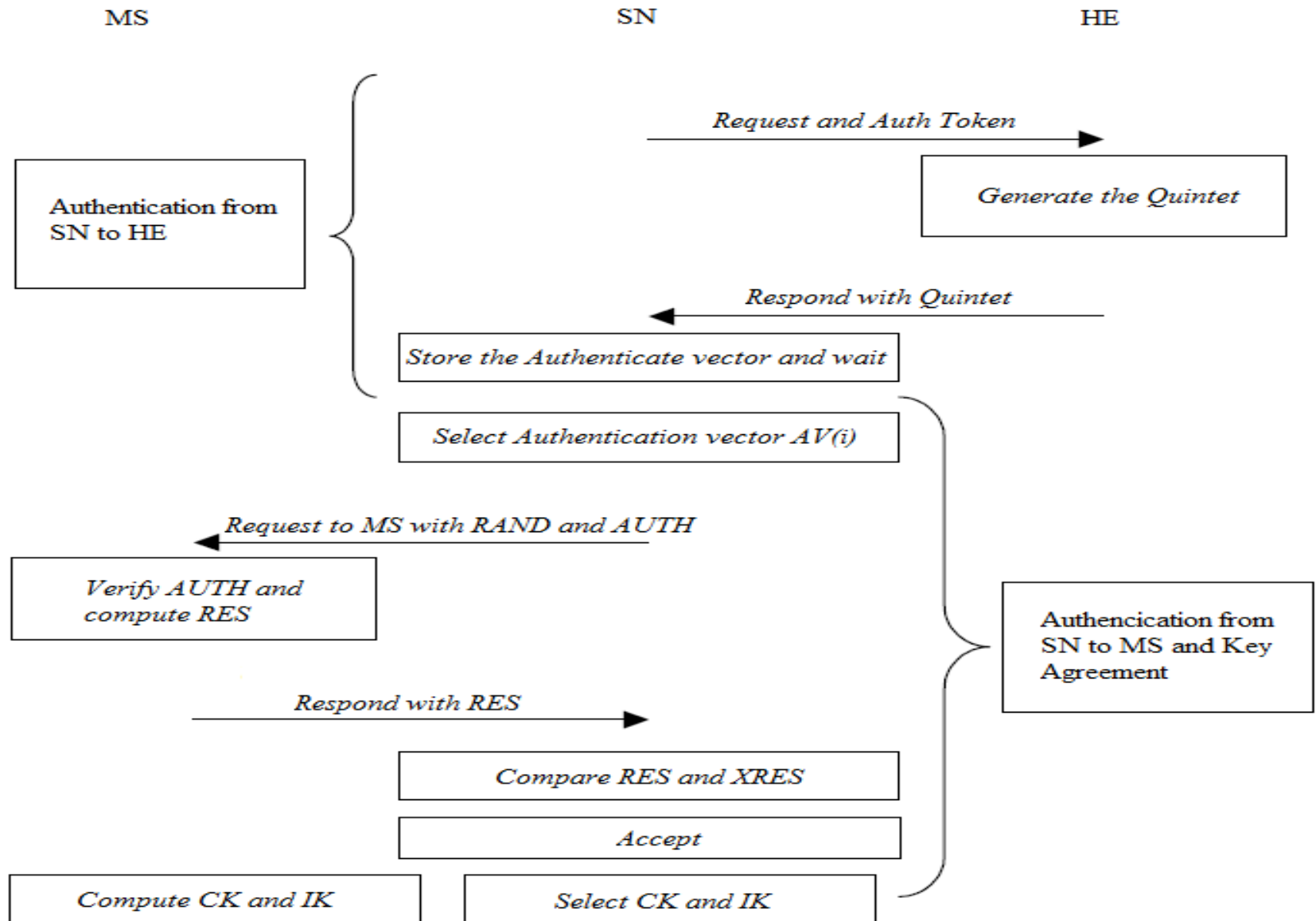
MILENAGE

The definition of the seven functions

- f_1 : computes MAC.
- f_1^* : computes MAC-S.
- f_2 : computes RES and XRES.
- f_3 : generates key CK.
- f_4 : generates key IK.
- f_5 : generates key AK.
- f_5^* : computes AK in re-synchronization procedure.



Workflow in authentication and key agreement



Implementation consideration

- **OP or OP_c in USIM?**

- What is *OP*?

OP is a 128-bit operator value (Operator Variant Algorithm Configuration Field).

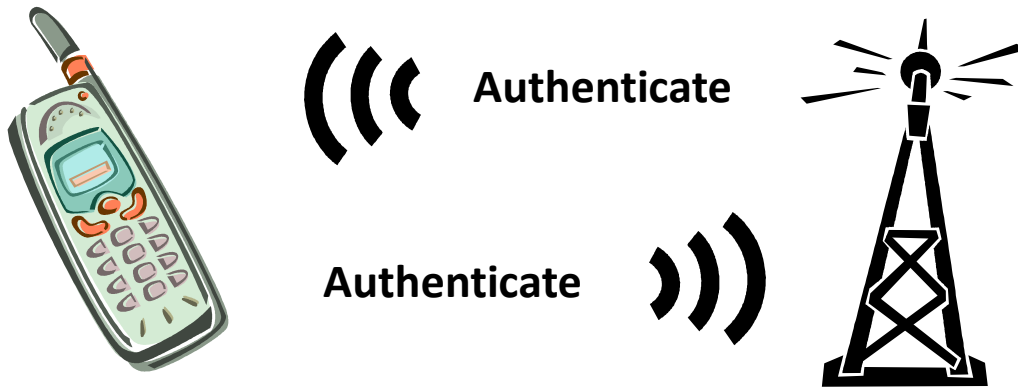
$$OP_c = OP \oplus EK(OP).$$

- Better choice:

Store *OP_c* in USIM

Authentication in GSM and UMTS

- Enhance the GSM AKA, avoid the Middle Man Attack.

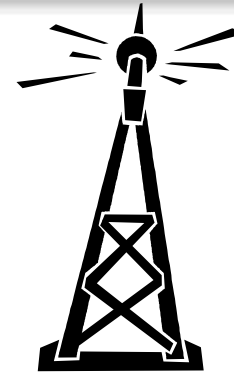


UMTS Authentication Case



Authenticate

Not Authenticate

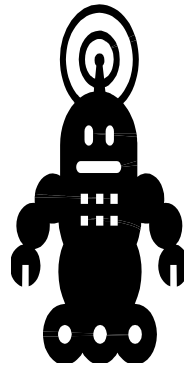


GSM Authentication Case



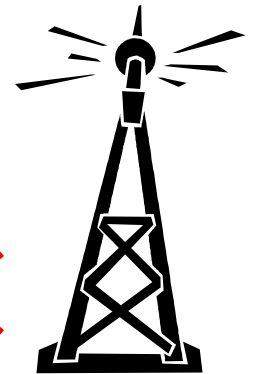
Authenticate

Not Authenticate



Authenticate

Not Authenticate



Middle Man (Forgery Radio Station)

Middle Man Attack in GSM

Investigation of forgery

- Assumption: the kernel function is a strong block chipper function.
- **Internal collision attack against f_1/f_1^* :**

$$t' \oplus c_1 \oplus \text{rot}(z' \oplus OPc, r_1) = t'' \oplus c_1 \oplus \text{rot}(z'' \oplus OPc, r_1)$$

if a value s is xored on the equation:

$$w_1(x', z' \oplus sz) = w_2(x'', z'' \oplus sz)$$
- This collision on f_1/f_1^* is similar to that of the standard CBC-MAC which theoretically exists.

Attack against combination of f2-f5 :

Two distinct inputs x' and x'' , let equation:

$$w_i(x') w_j(x') = w_j(x'') w_i(x'') \Leftrightarrow$$

$$\text{rot}(t', r_i) \oplus \text{rot}(t'', r_j) = c_i \oplus c_j \oplus \text{rot}(OPc, r_i) \oplus \text{rot}(OPc, r_j)$$

There are four cases:

- **Case 1:** $r_i = r_j$.
- **If** $w_i(x') = w_j(x'')$,
implies: $w_i(x') = w_j(x'')$.

Attack against combination of f2-f5 :

- **Case 2:** $ri-rj=64 \text{ mod } 128$, given a value v that $ci \oplus cj = rot(v, ri) \oplus rot(v, rj)$.
- Input $x \Rightarrow$ output $wi(x)$ and $wj(x)$,
at least one x input: $wi(x) = wj(x)$.
- The restrict condition: if and only if $rot(y \oplus OPc, ri) \oplus rot(y \oplus OPc, rj) = ci \oplus cj$ with possible $y \oplus OPc$.

Attack against combination of f2-f5 :

- **Case 3:** $ri=0$.
- Finding pair (x', z) and x'' under the condition:

$$t' \oplus \text{rot}(t'', ri) = ci \oplus ci \oplus \text{rot}(z, r1) \oplus \text{rot}(OPc, r1) \oplus \text{rot}(OPc, ri) \iff w1(x', u) = wi(x).$$

It is highly probable to produce $w1(x', u) = wi(x'')$.
- As $ri=0$, also $w1(x'', u) = wi(x')$.

Attack against combination of f2-f5 :

- **Case 4:** $r1=0$ or 64 and $ri=rj$.
- given pairs (x,z) as input with corresponding $w1(x,z)$ and $wi(x)$ where there exists x' , zi and x'' which produces the equation $w1(x',zi)=wi(x'')$
- Let $zj=zi \oplus ci \oplus cj$, we can forgery:
 $w1(x',zj)=wj(x'')$

Prevention of Attack

- 1st, the proper constants are selected
- 2nd, a large number of random challenges are required.
- 3rd, compute output through two independent permutation.

Thank You!