Esecurity: secure internet & e-voting, summer 2013

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7. Exercise sheet
Hand in solutions until Monday, 3 June 2013, 08:00

Exercise 7.1 (IPsec and IKEv1 criticism). (8 points)

(i) At http://www.schneier.com/paper-ipsec.html you find the IPsec and IKEv1 criticism of Niels Ferguson and Bruce Schneier. Read and summarize it. (What are their recommendations? What are their major reasons? Do they say whether IPsec/IKE is secure or how to make it secure?)

(ii) Reconsider their arguments in the presence of IKE version 2 (that we discussed in the course).

Exercise 7.2 (Key exchange threats). (12 points)

Consider the following protocols for establishing shared keys. Assume there is an infrastructure such that Alice and Bob can sign their messages in a secure way. Thereby \([m]_\text{Alice}\) should denote the pair consisting of the message \(m\) and a valid signature of \(m\) produced by Alice.

Protocol 3.
1. Alice wants to talk.
2. Bob agrees and chooses a cookie \(c\), which is a suitably random number, for example, the hash value of Alice’s IP address and some fixed secret of Bob. (It’s nice if the number is deterministically determined!)
3. Alice computes RSA keys \((e, N)\) and \((d, N)\), and signs \([\text{'Alice'}, (e, N)]\).
4. Bob chooses a 128-bit number \(K\), encrypts \(K\) with Alice’s RSA key \((e, N)\) with an secure padding scheme.

Let \(h\) be a collision resistant hash function and \(G = \langle P \rangle\) be a cyclic group of order \(d\) such that the discrete log problem is difficult. Assume Alice has a secret passphrase \(a\). She computes \(A = h(a|s)P\), where \(s\) is a random number (the “salt”), and lets Bob know \(A\) in a secure way. In the following \([m]_K\) means the message \(m\) is send authenticated and encrypted by \(K\).
Protocol 4.

1. Alice wants to talk.
2. Bob chooses $b \in \mathbb{N}_{<d}$ and computes $B = bP$, $K = bA$, and $h(K)$. Hello, I am Alice.
3. Alice computes $K = h(a|s)B$, decrypts the last message and checks whether she computes the same values $h(0|K)$. Ok, $B, \{h(0|K)\}_K$.
4. Bob checks whether he computes the same value $h(1|K)$.

Consider each of the two protocols in the following questions. (Be brief, but don’t forget the essential arguments.)

(i) Man in the middle: Michael puts himself in the middle. What happens?

(ii) Mutual authentication: Examine which of the given protocols ensure that Alice’ partner is Bob and Bob’s partner is Alice.

(iii) Perfect Forward Security: Next, suppose that the Beagle Boys intercepted the conversation between Alice and Bob. Then after the conversation is terminated the Beagle Boys take over Alice’ and Bob’s entire equipment including their secret keys. Will they be able to read what Alice and Bob told each other?

(iv) Denial of Service: Daniel is a weird person that only wants to prevent say Bobs’ computer to do good work. So he floods Bob with tons of requests. For each of these requests Bob’s computer is forced to compute and send an answer. Consider vaguely the effort which Daniel and Bob have to spend for their first messages and vote for the ‘best’ protocol.

(v) Endpoint Identifier Hiding: Eve does not want to be spotted, so she only listens on the conversation. If she can detect who the partners are, this is already valuable information for her. Which protocols hide the identity of Alice and/or Bob?

(vi) Live Partner Reassurance: Raoul likes repetitions and so after listening to a conversation, he calls Bob (or is called by Alice) with replayed messages from the overheard talk making him (her) think he (she) is Alice (Bob). Examine the given protocols under this attack.
Exercise 7.3 (Project, part 2). (5+5 points)

Consider your chosen protocol (TLS/SSL or SSH) for this exercise.

(i) Discuss the security of the chosen protocol under the same security aspects as we did for IPsec:

(a) Session key agreement.
(b) Perfect forward security.
(c) Denial of Service.
(d) Endpoint identifier hiding.
(e) Live partner reassurance.

We will summarize your results in the course and tutorial soon.